

Hydrodynamics of Trickle Bed Reactors

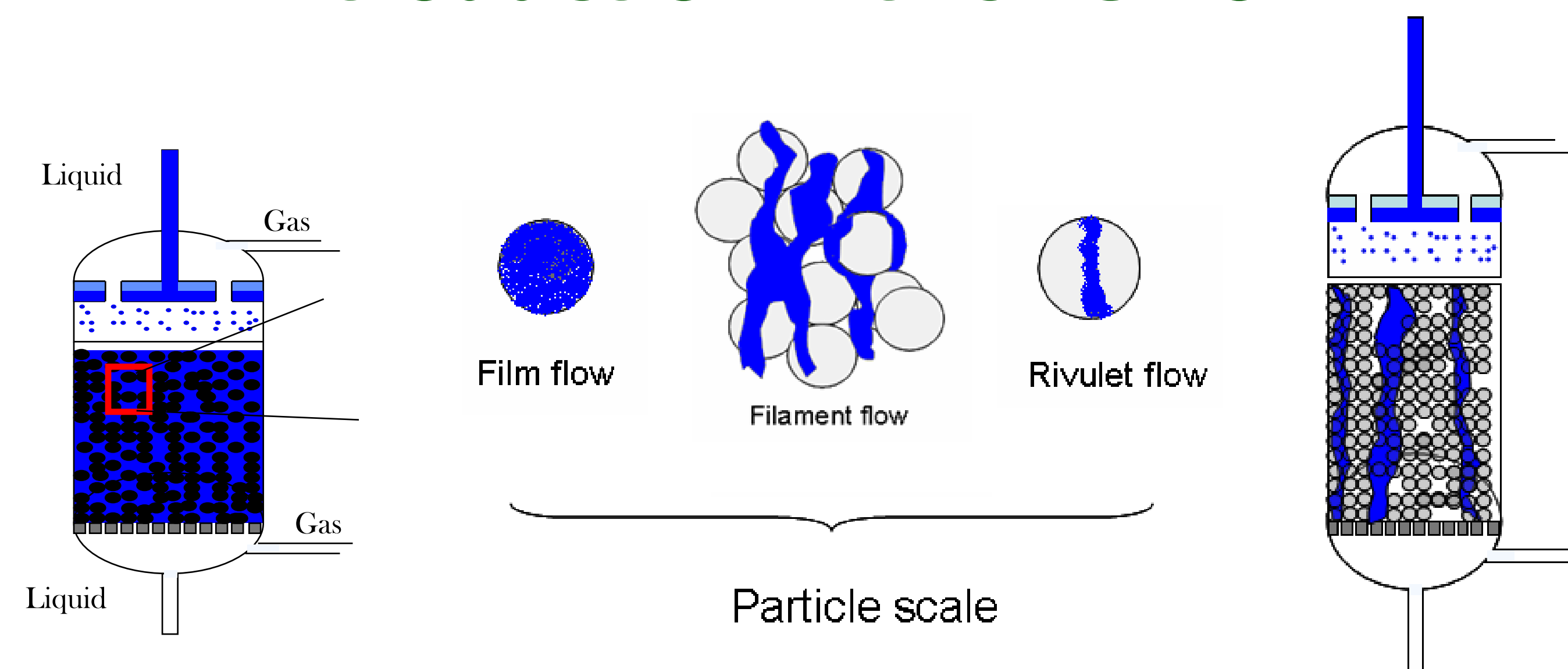
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Introduction – trickle flow

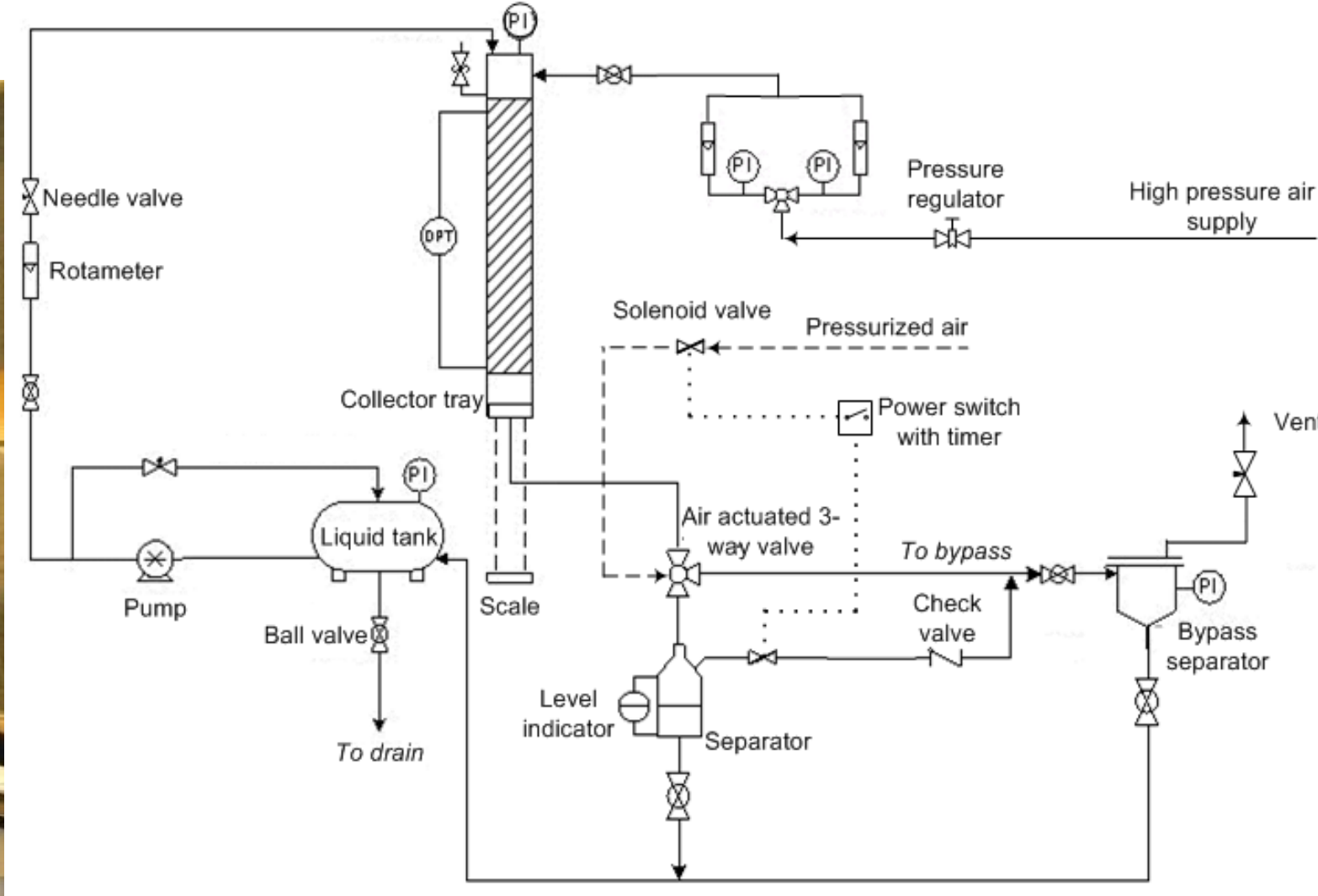


Focus of this work

- ❖ Experimental hydrodynamics investigation focused on the flow distribution
- ❖ Eulerian CFD modeling
- ❖ Development of validation methodology
- ❖ Extension of model – development of closures capable of capturing the effect of flow pattern

Experimental

High pressure trickle bed reactor

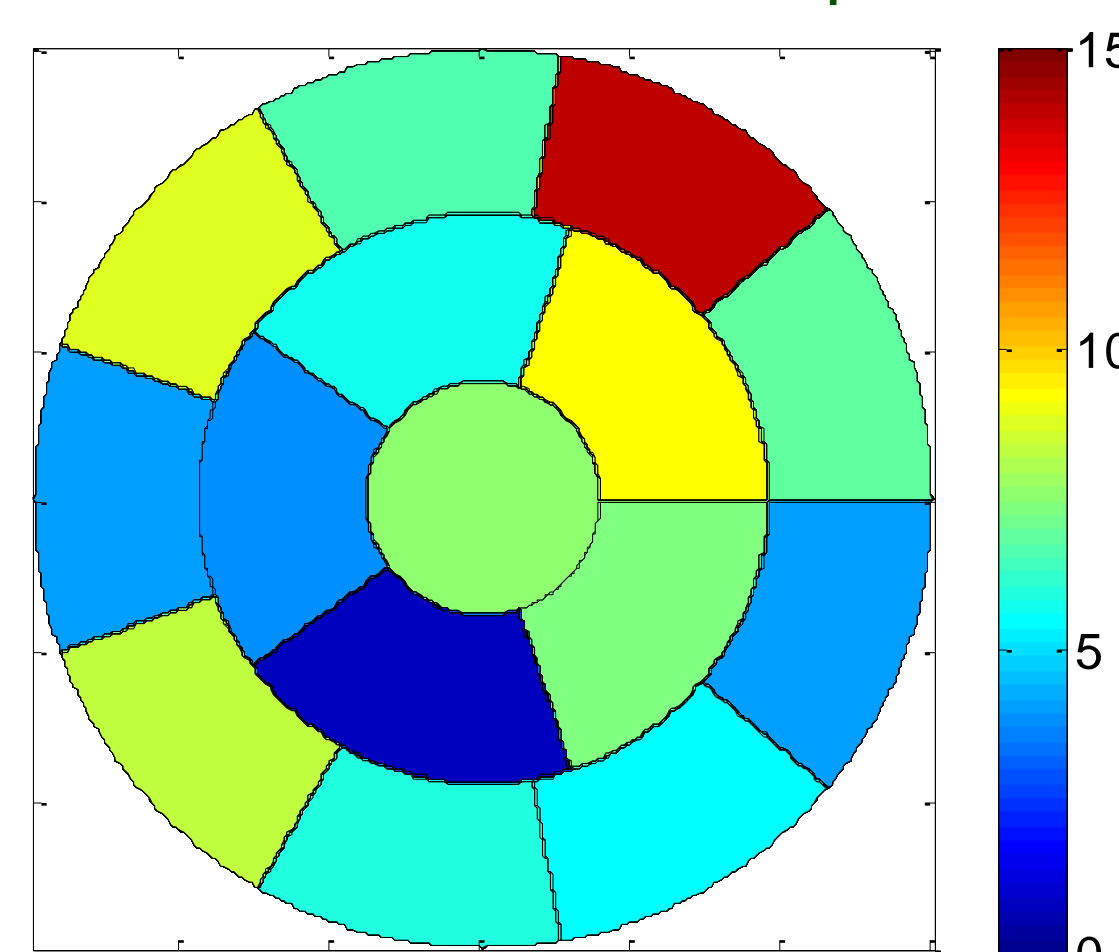


Collector used for fluxes measurements

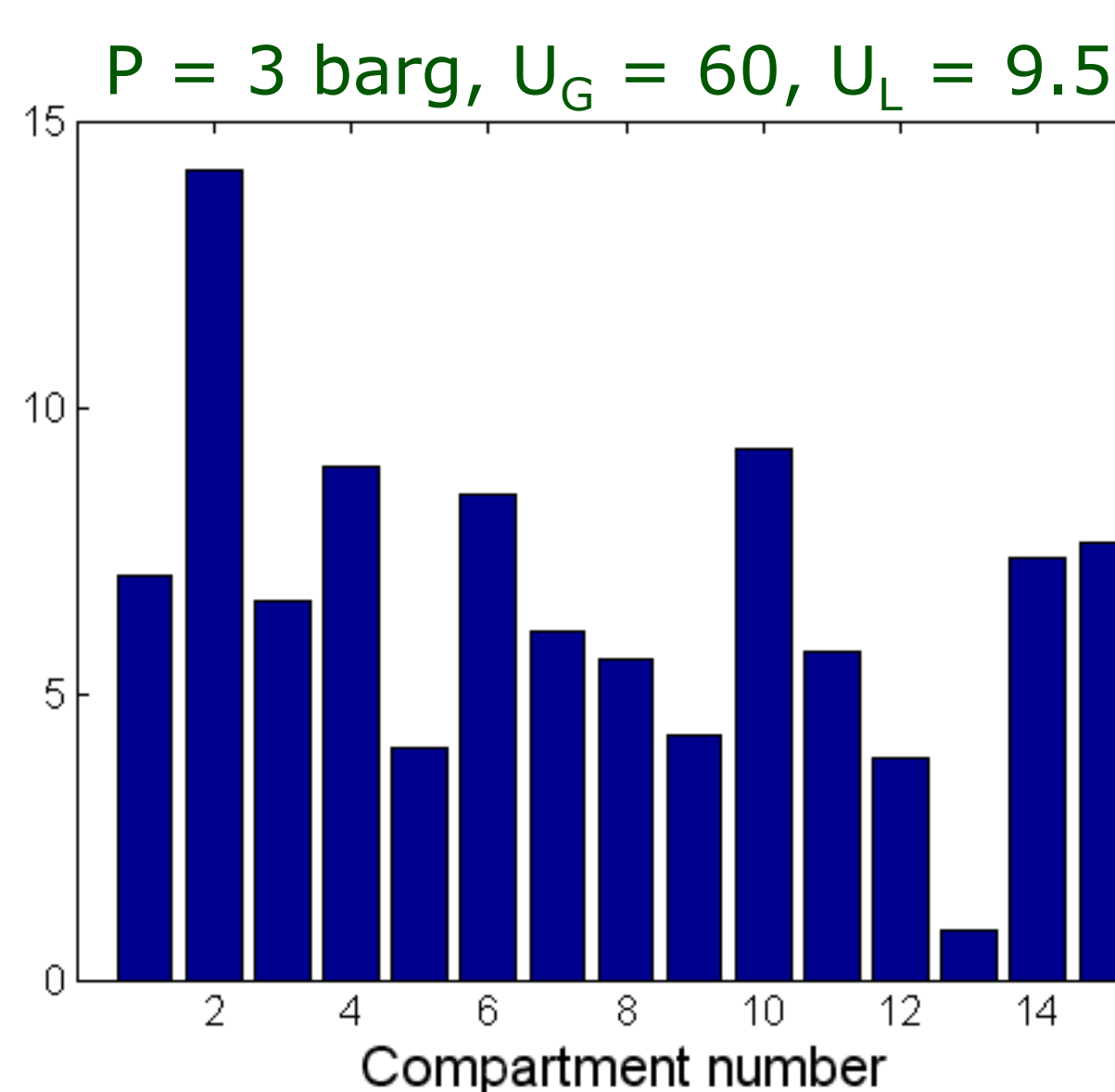
Experimental Conditions

Pressure, barg	1 to 8
Column Diameter, m	0.163
Bed Height, m	0.69
Fluids used	Water and Air
Packing	3 mm glass beads & 1.9 mm alumina extrudates

Measurement of effluent liquid fluxes



Percentage of total flow in collector compartments



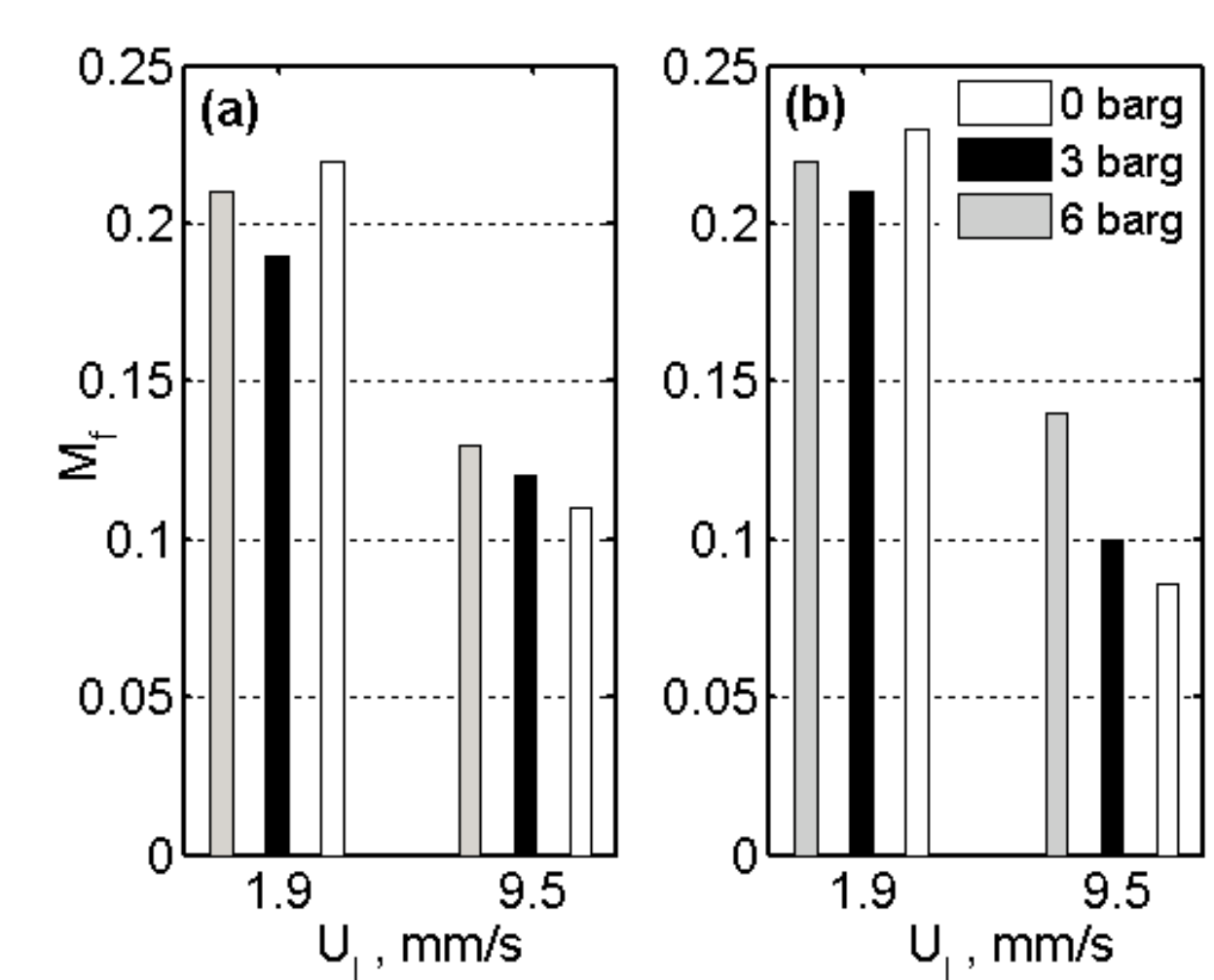
Characterization of the uniformity of liquid distribution

$$M_f = \sqrt{\frac{1}{N(N-1)} \sum_{i=1}^N \left(\frac{FLUX_i - \overline{FLUX}}{\overline{FLUX}} \right)^2}$$

N - Number of compartments (15)

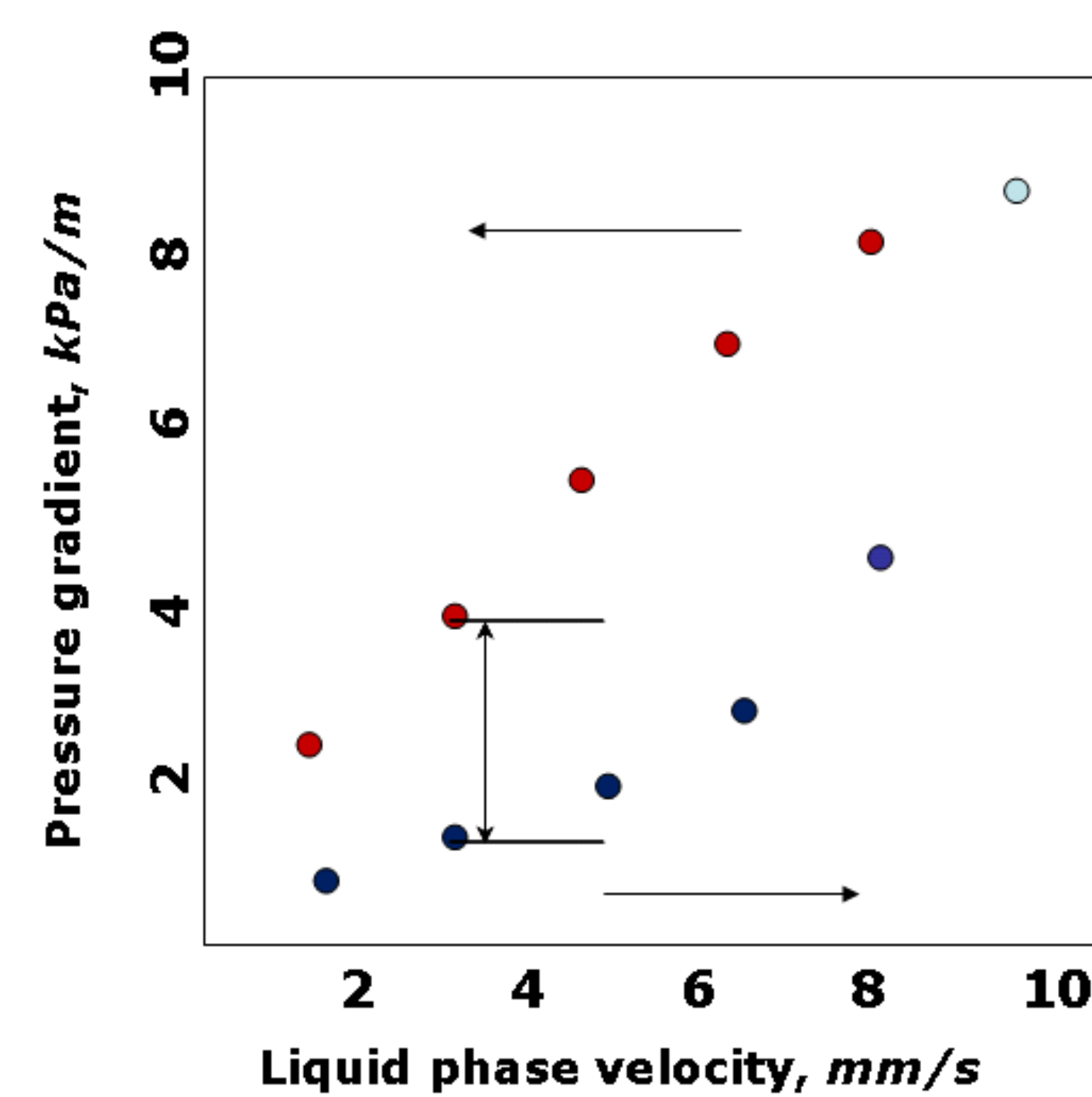
\overline{FLUX} - Average flux

$FLUX_i$ - Flux in the compartment i



Maldistribution factor – experimental results

Hysteresis in trickle flow



$$f_H = 1 - \frac{(\Delta P/L)_{\text{lower branch}}}{(\Delta P/L)_{\text{upper branch}}}$$

$f_H = 0$ - no hysteresis
 f_H - extent of hysteresis

- ❖ Dependence of the extent of hysteresis on the operating pressure is a strong function of the operating flowrates
- ❖ At the lower flowrates, hysteresis persists regardless of the pressure

Computational fluid dynamics modeling

Equations solved on the computational domain:

Conservation of mass

$$\frac{\partial \varepsilon_k \rho_k}{\partial t} + \nabla \cdot \varepsilon_k \rho_k \mathbf{u}_k = 0$$

Conservation of momentum

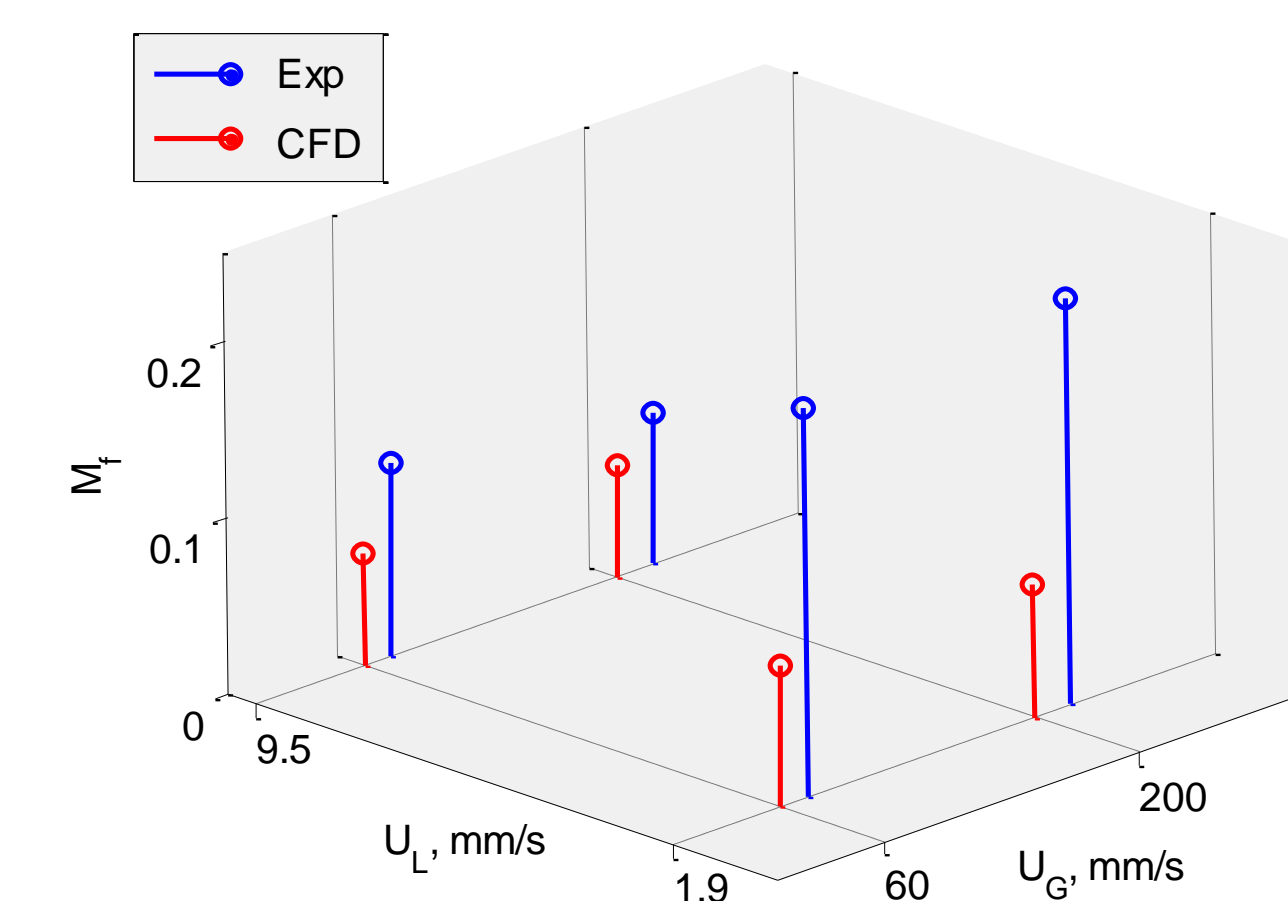
$$\frac{\partial \varepsilon_k \rho_k \mathbf{u}_k}{\partial t} + \nabla \cdot \varepsilon_k \rho_k \mathbf{u}_k \mathbf{u}_k = -\varepsilon_k \nabla p + \nabla \cdot \varepsilon_k \mu_k \nabla \cdot \mathbf{u}_k + \sum_{q=1}^{n_g} \mathbf{F}_{k,q} \mathbf{u}_k - \mathbf{u}_q \cdot \mathbf{S}$$

Maldistribution factor

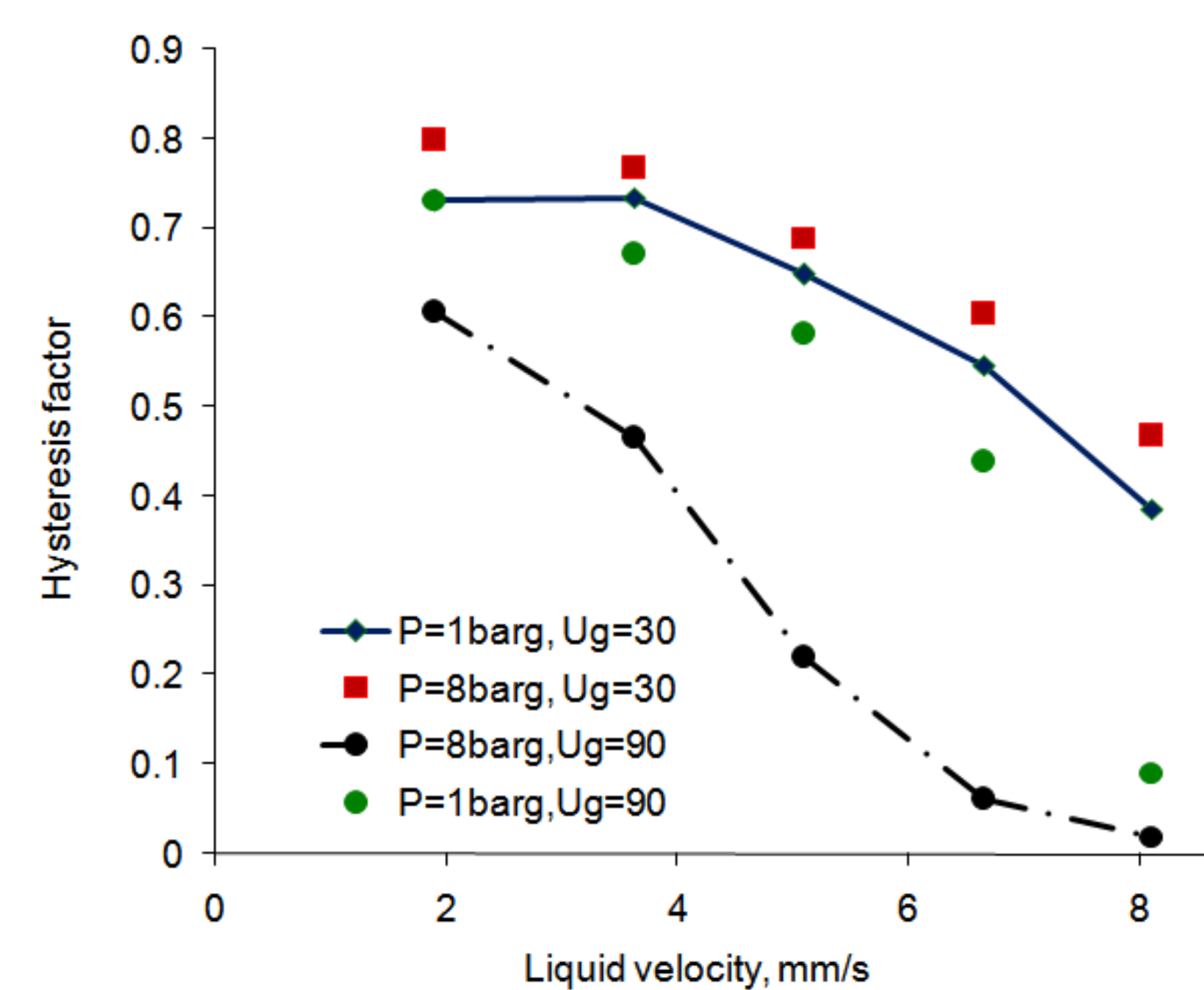
$M_f = 0$ - Uniform distribution

$M_f = 1$ - Completely maldistributed

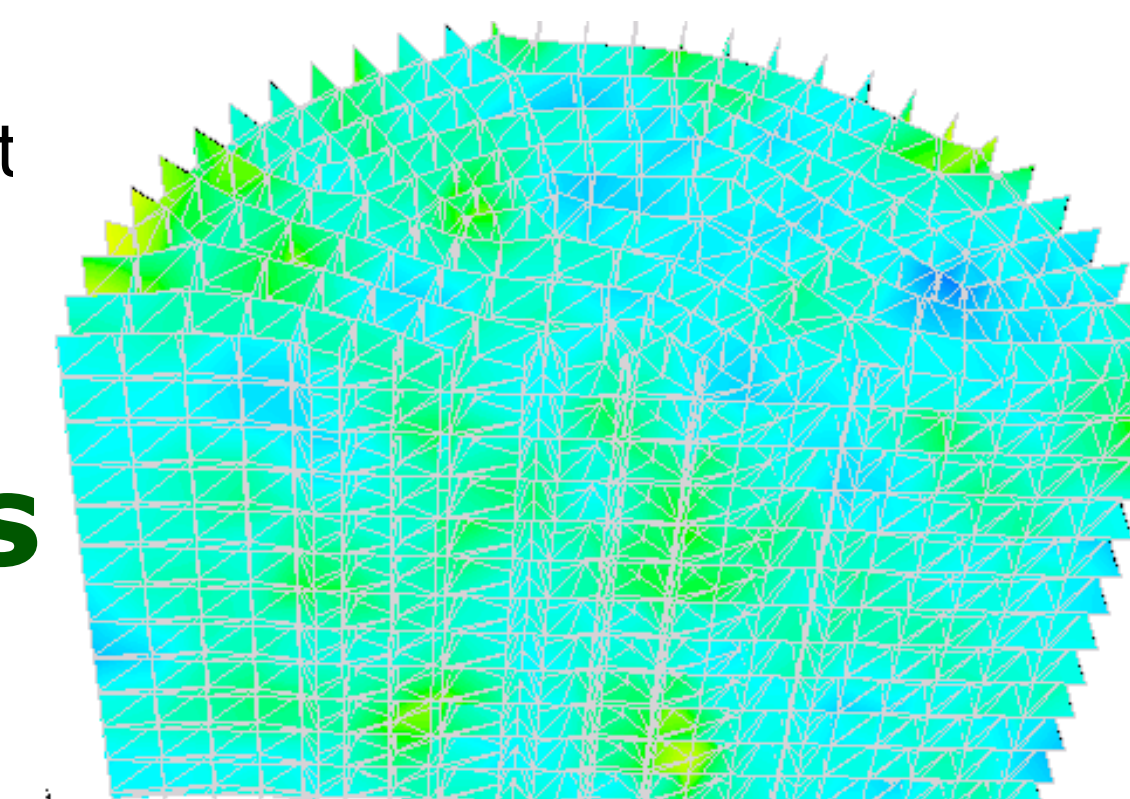
- ❖ Most pronounced effect – liquid velocity
- ❖ Increased operating pressure or gas velocity do not significantly increase uniformity of liquid phase distribution



Comparison with CFD



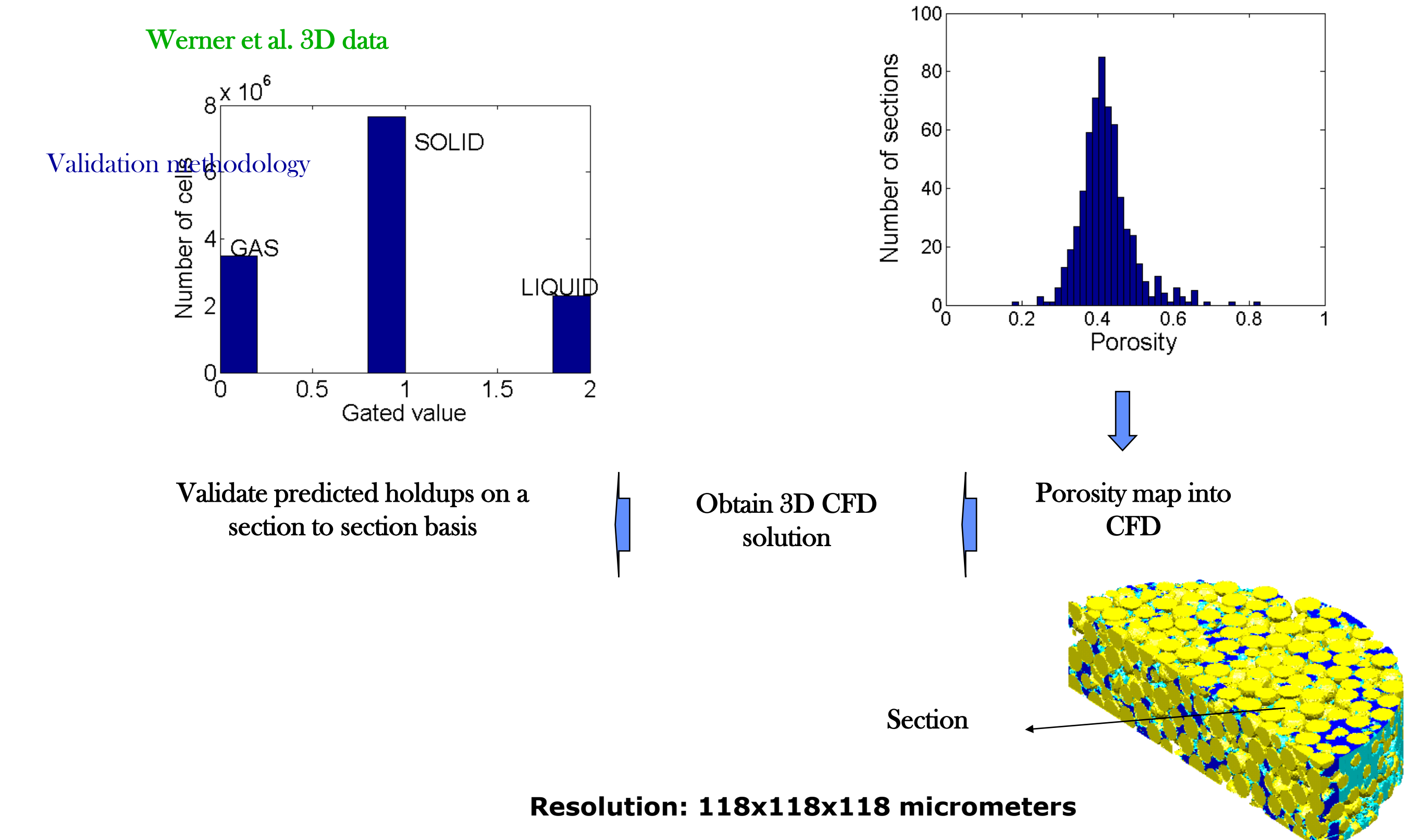
Hysteresis factor – experimental results



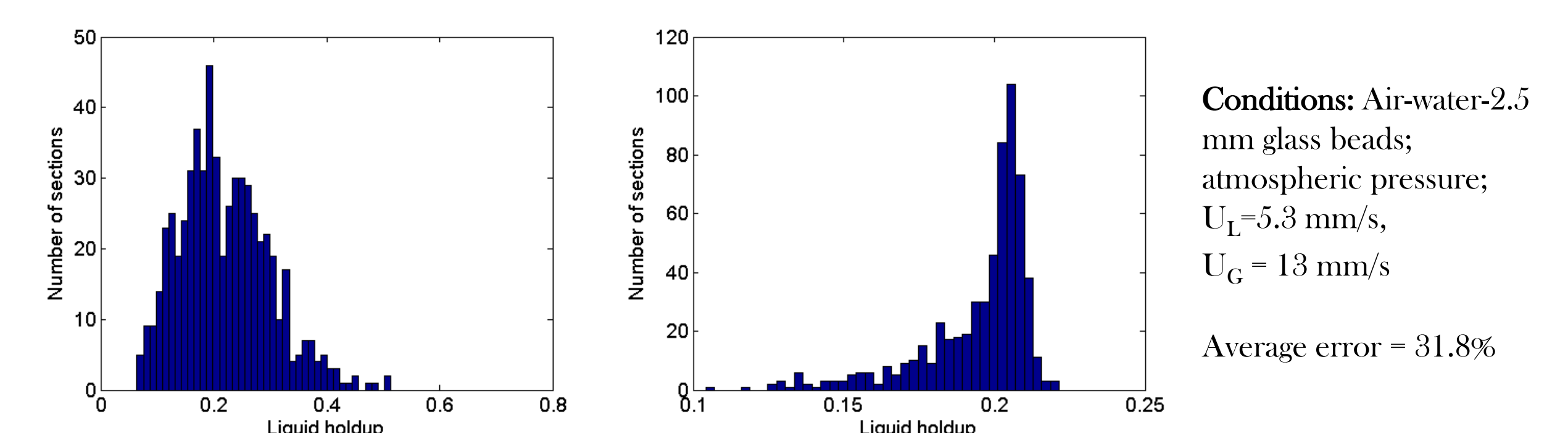
Need:

- Porosity distribution on the domain – Gaussian (Jiang et al., 2001)
- Phase interactions closures (Attou et al., 1999)
- Capillary closure (Grosser et al., 1988)
- Solution strategy, Boundary and Initial Conditions

Computational Fluid Dynamics Modeling (Continued)



Comparison with experiments



Extension to account for flow structures other than film flow

$$Re_{min} = \frac{1}{E_i} \left(\frac{\varepsilon}{0.5} \right)^3 (1 - \cos \theta)^3 Ga_L^3 \frac{\Delta P / \Delta z + \rho_L g}{\rho_L g}$$

Relative permeability (SPE and Caronell, 1985)
(Wijffels et al. 1974)

E_i - Ergun constant

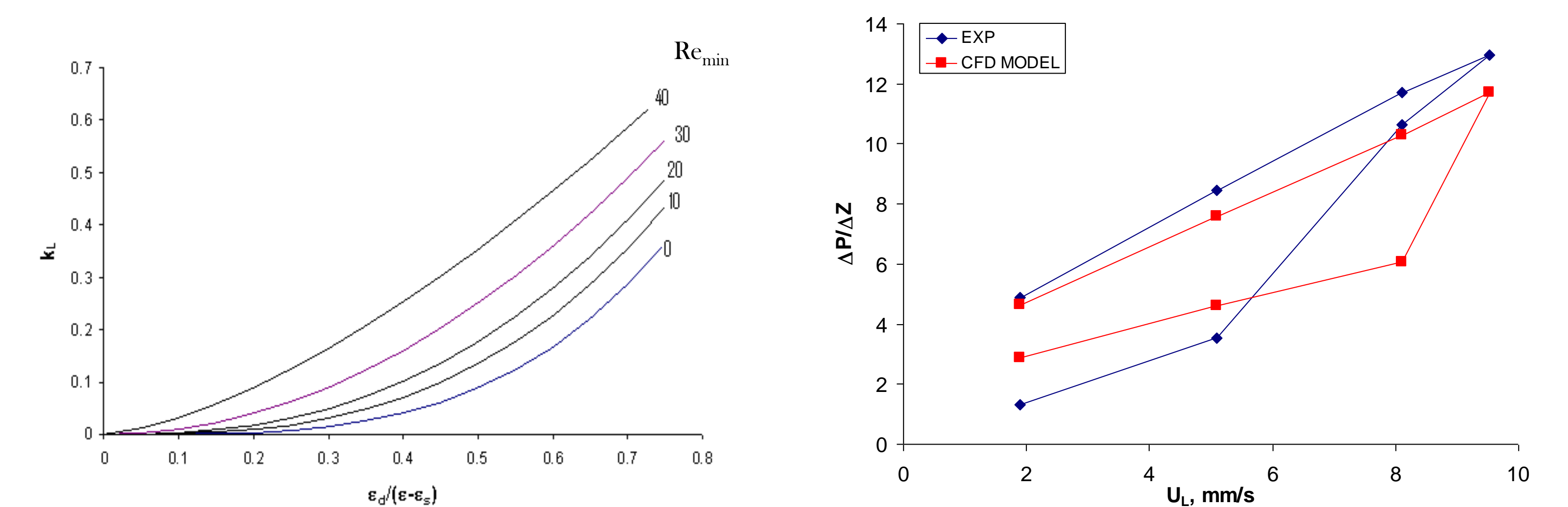
ε - Bed porosity (volume fraction of voids)

θ - Contact angle

$$Ga_L = \frac{d_p^3 \rho_G g}{\mu_G^2} - \text{Galileo number for liquid phase}$$

Rivulet flow

Film flow



Relative permeability as a function of wetting preferentiality (Crine et al., 1992)

Acknowledgements

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